

# FUNNEL: Automatic Mining of Spatially Coevolving Epidemics

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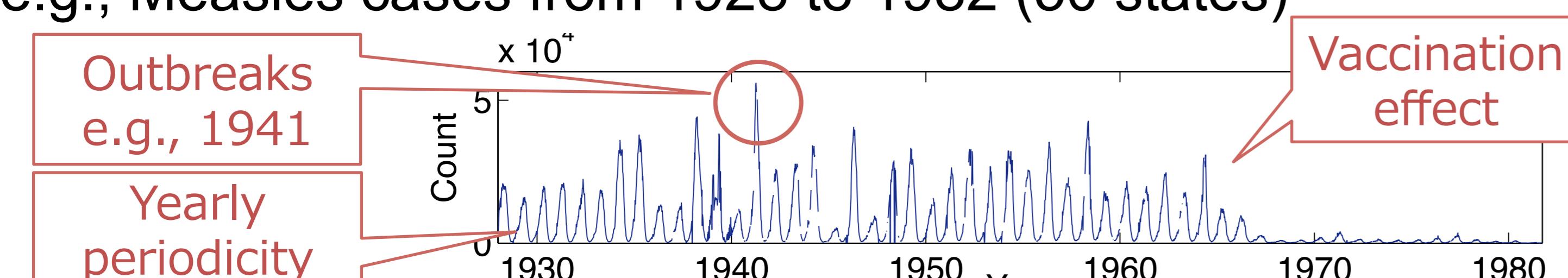
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## Motivation - Given: large set of epidemiological data

e.g., Measles cases from 1928 to 1982 (50 states)



Goal: statistically summarize all the epidemic time-series

## Data description – Project Tycho

- 56 contagious diseases for U.S. states
- from 1888 to the present (>125 years)

3<sup>rd</sup> order tensor (diseases x location x Time)  $\chi \in \mathbb{N}^{d \times l \times n}$

# of cases in 1931, ...

Time	disease	loc	cases
04-01	measles	PA	4740
04-01	measles	NY	5310
04-01	rubella	CA	1923
...	...	...	...

Element x: # of cases (weekly)  
e.g., 'measles', 'PA', 'April 1-7, 1931', '4740'

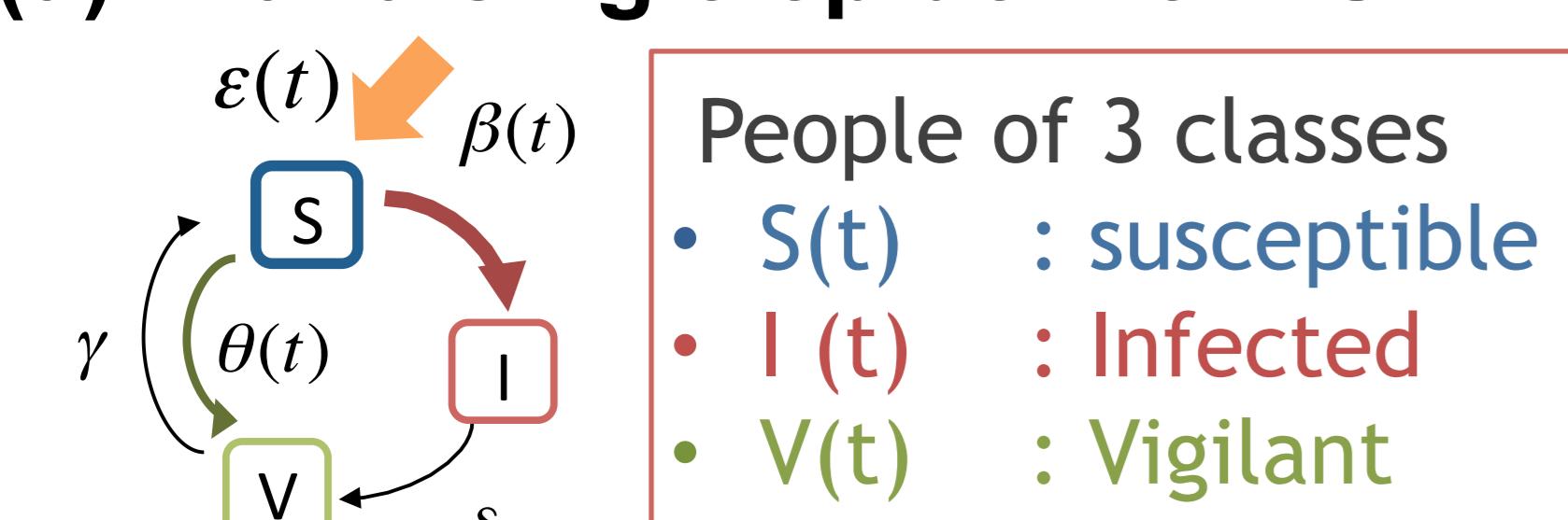


## Observations - Properties of real epidemic data

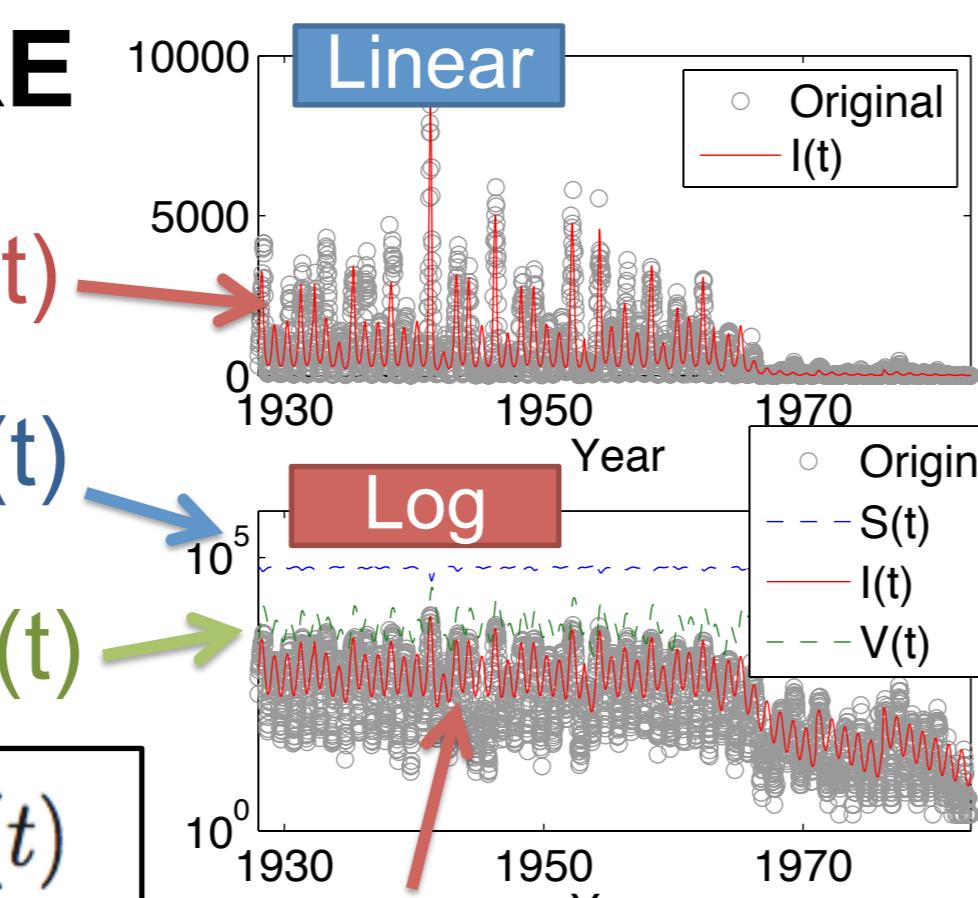
- P1 yearly periodicity (e.g., flu peaks in the winter)
- P2 disease reduction effects (e.g., vaccination)
- P3 area specificity and sensitivity (e.g., correlation)
- P4 external shock events (e.g., outbreaks)
- P5 mistakes, incorrect values (e.g., typos)

## Proposed model: FUNNEL

### (a) With a single epidemic: FUNNEL-RE



e.g., measles in NY



$$(S(t+1)) = S(t) - \beta(t)\epsilon(t)S(t)I(t) + \gamma V(t) - \theta(t)S(t) \quad (1)$$

$$(I(t+1)) = I(t) + \beta(t)\epsilon(t)S(t)I(t) - \delta I(t) \quad (2)$$

$$(V(t+1)) = V(t) + \delta I(t) - \gamma V(t) + \theta(t)S(t) \quad (3)$$

$\beta(t)$ : strength of infection (yearly cycle)

$\delta$ : healing rate  $\gamma$ : forgetting rate

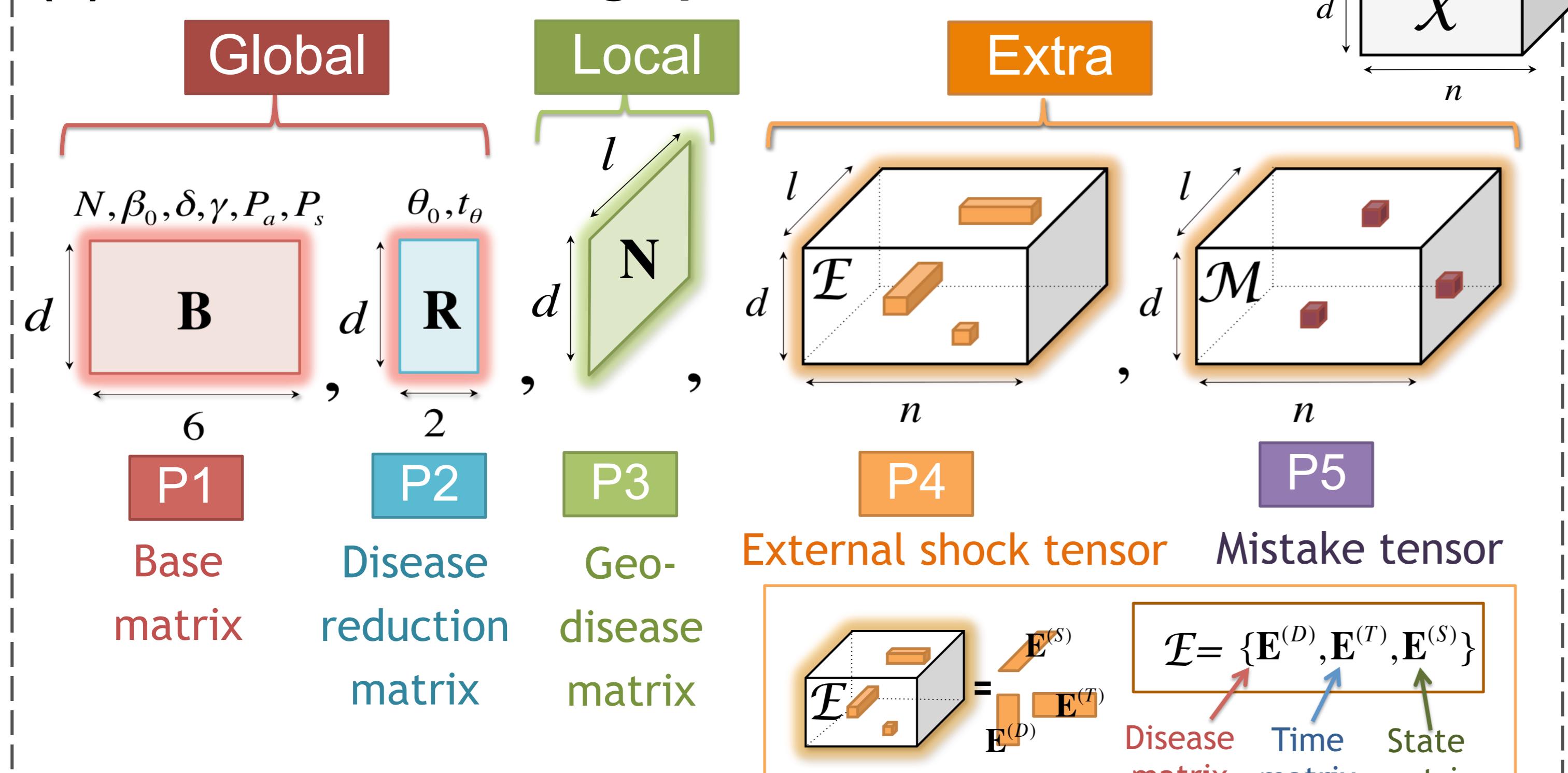
$\theta(t)$ : disease reduction effect

$\epsilon(t)$ : temporal susceptible rate

$$\beta(t) = \beta_0 \cdot (1 + P_a \cdot \cos(\frac{2\pi}{P_p}(t + P_s)))$$

$$\theta(t) = \begin{cases} 0 & (t < t_\theta) \\ \theta_0 & (t \geq t_\theta) \end{cases} \quad P_p = 52$$

### (b) With multi-evolving epidemics: FUNNEL-full



$$F = \{E^{(D)}, E^{(T)}, E^{(S)}\}$$

## Optimization algorithm: FUNNEL-Fit

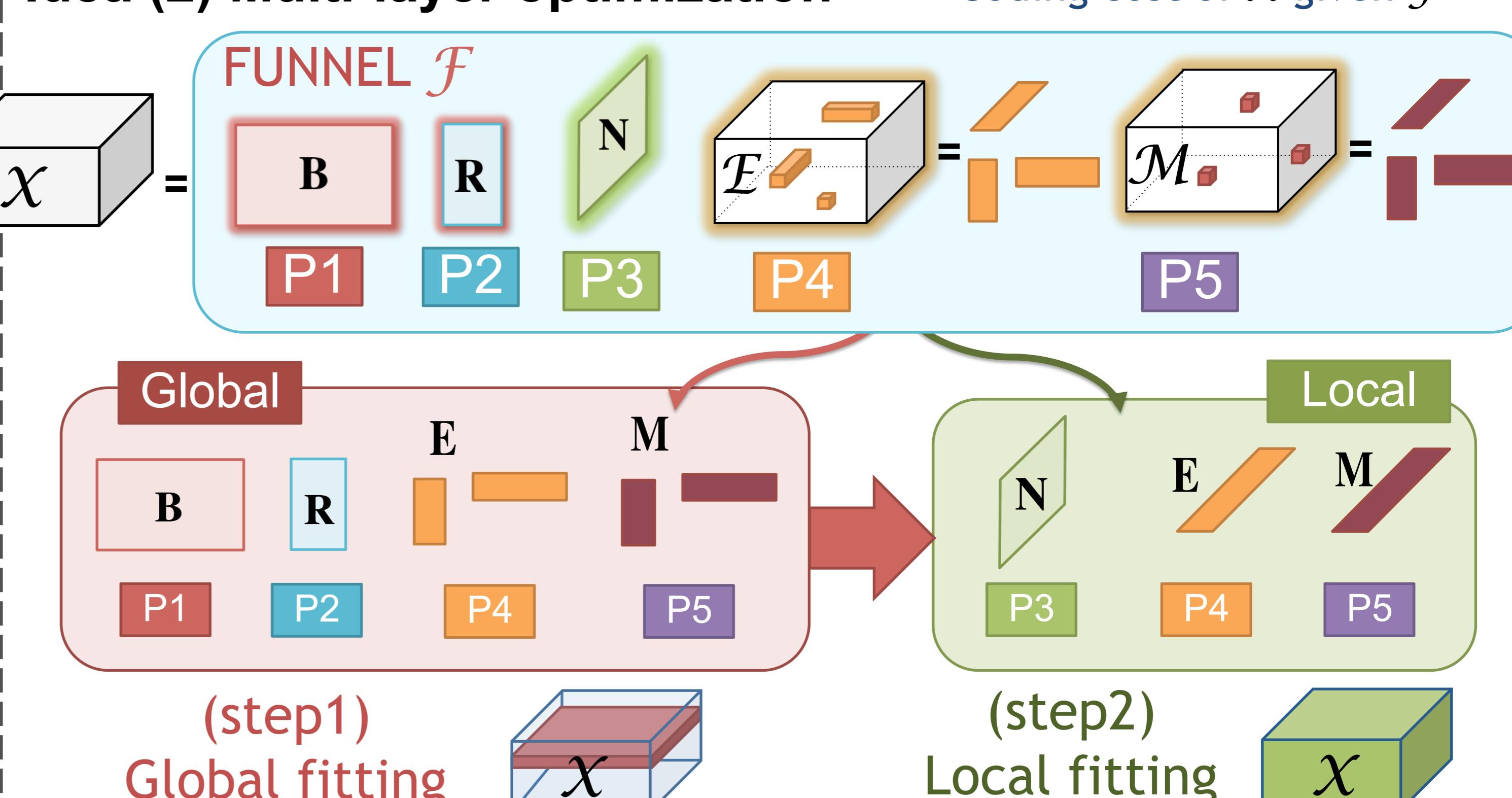
### Idea (1) Model description cost

Q. How can we find **externals** and **mistakes**??

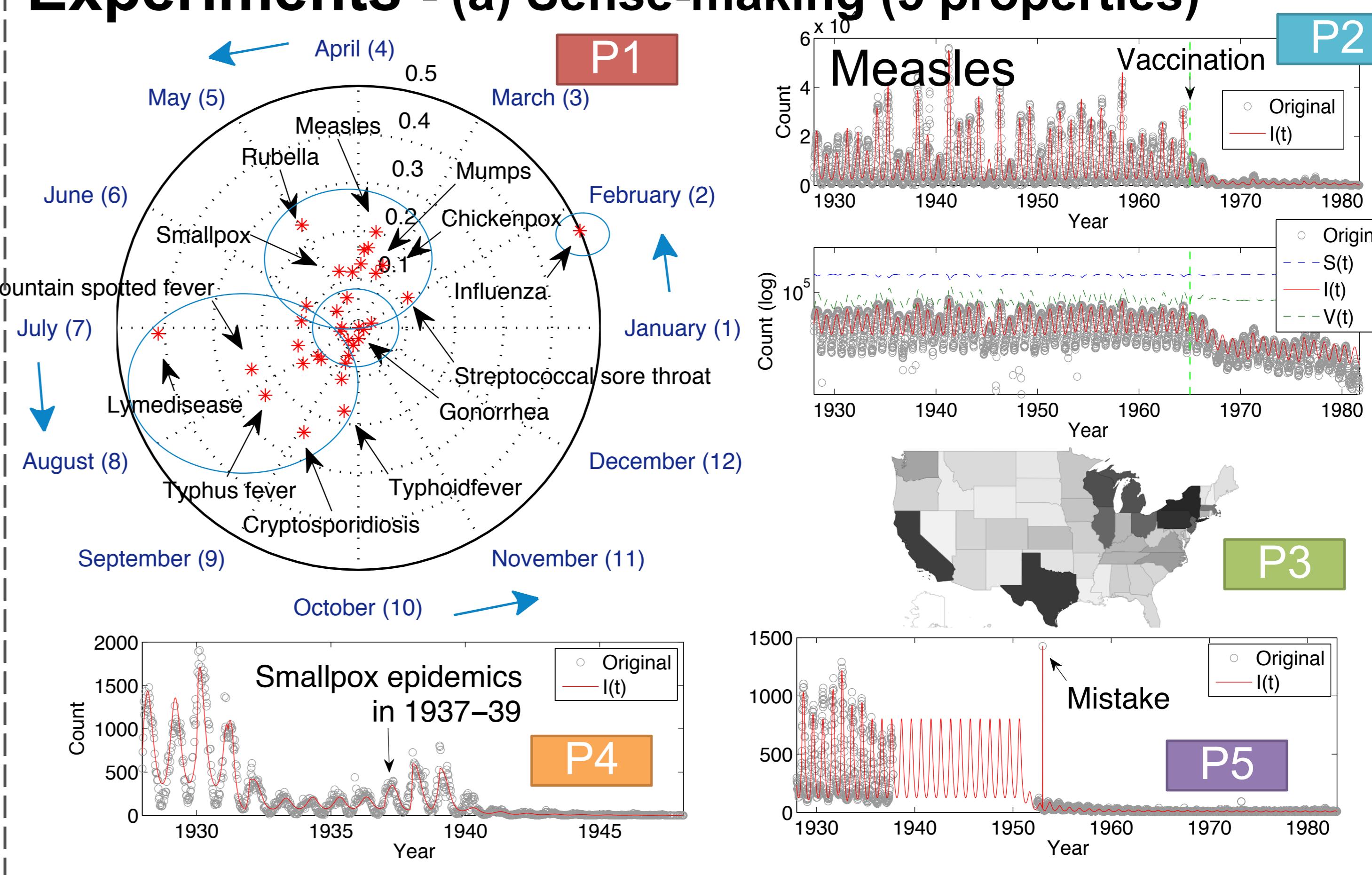
### A. Minimize coding cost!

$$\text{Cost}_T(\mathcal{X}; \mathcal{F}) = \log^*(d) + \log^*(l) + \log^*(n) \\ + \text{Cost}_M(\mathbf{B}) + \text{Cost}_M(\mathbf{R}) + \text{Cost}_M(\mathbf{N}) \\ + \text{Cost}_M(\mathbf{E}) + \text{Cost}_M(\mathbf{M}) + \text{Cost}_C(\mathcal{X}|\mathcal{F})$$

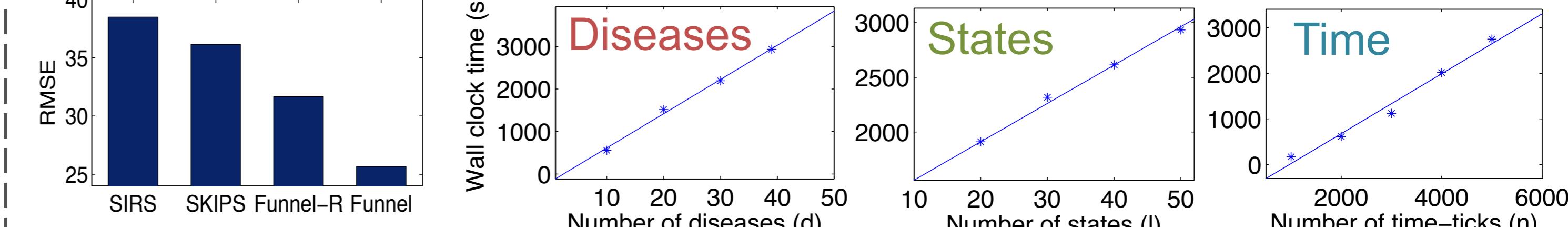
### Idea (2) Multi-layer optimization



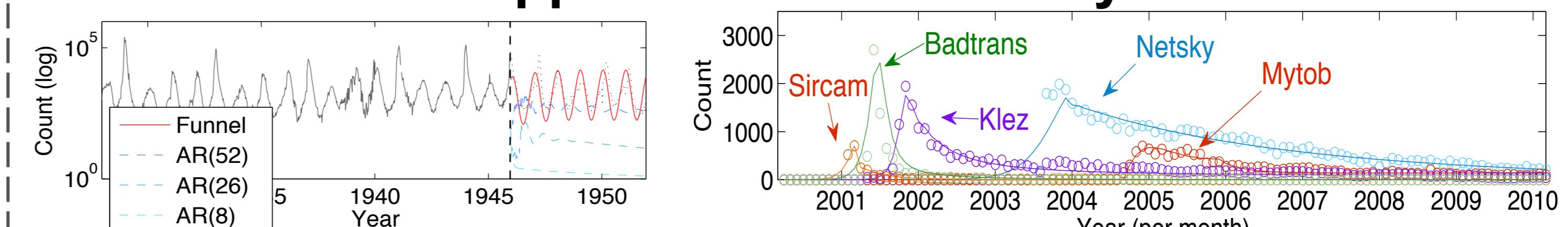
## Experiments - (a) Sense-making (5 properties)



## (b) Fitting accuracy (c) Scalability – (linear with data size)



## Discussion - Application & Generality



## Conclusions – FUNNEL has following advantages:

- General & Sense-making: it captures all essential aspects (P1-P5)
- Fully-automatic: it needs no training set
- Scalable: it scales linearly with the input size

Data: <http://www.tycho.pitt.edu/>

Code: <http://www.cs.kumamoto-u.ac.jp/~yasuko/software.html>